

SEARCHING FOR RELATIVISTIC AXIONS IN THE SKY WITH THE SQUARE KILOMETER ARRAY

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(Based on JCAP 08 (2023) 056 in collaboration with Arpan Kar, Sourov Roy and Jure Zupan)



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- RELATIVISTIC AXIONS: PRODUCTION AND SOURCES
- RADIO SIGNAL FROM GALAXIES AND CONSTRAINTS FROM SKA
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- SUMMARY

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- ALPs are weakly interacting particles \longrightarrow Promising candidate for dark matter (DM)
- Several experiments exist (ADMX) or are under construction (DMRadio) to find evidence of ALPs

MOTIVATION

- Most experiments looking for ALPs assume them to be DM \longrightarrow ALPs are assumed to be non-relativistic \longrightarrow Axion DM detection experiments look for **non-relativistic ALPs**

MOTIVATION

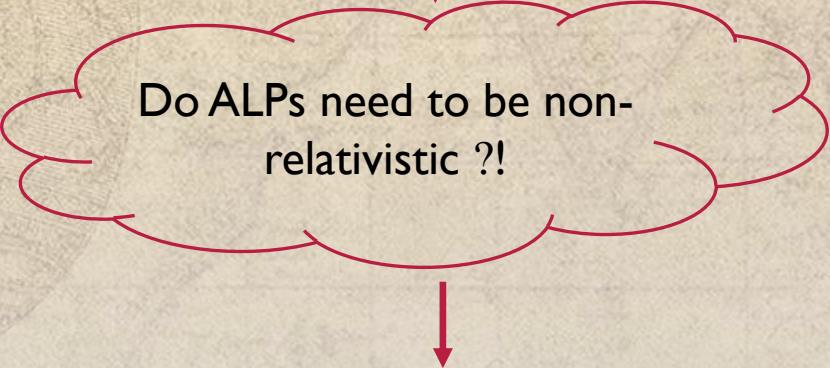
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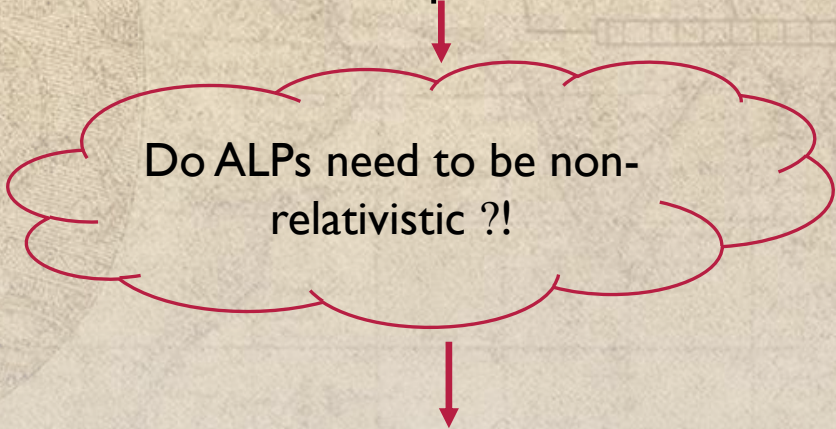


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- NO \longrightarrow It is possible that ALPs were produced at some point of time in the expanding universe, by some mechanism, with sufficiently high energies so that they have remained **relativistic** at present

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HOW TO FIND THEM ?

MOTIVATION

- We show that the upcoming radio telescope – Square Kilometer Array (SKA) – will provide us a great opportunity to search for these **relativistic ALPs** through observations of certain dwarf spheroidal galaxies (dSph)



Square Kilometre Array Telescope

Source : <https://www.skatelescope.org/the-ska-project/>

SOURCES OF RELATIVISTIC ALPs

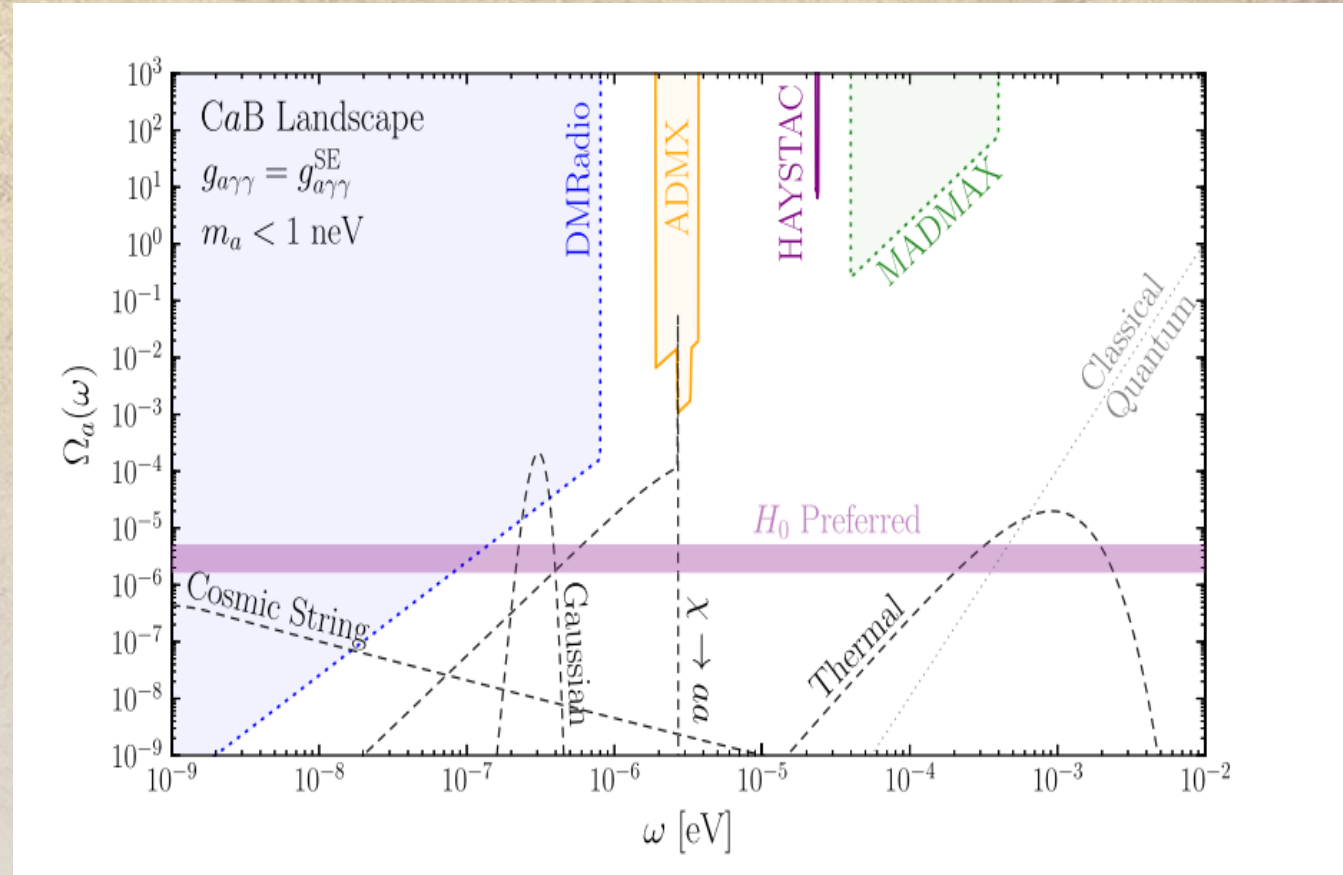
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- ❖ Thermal production in the early universe
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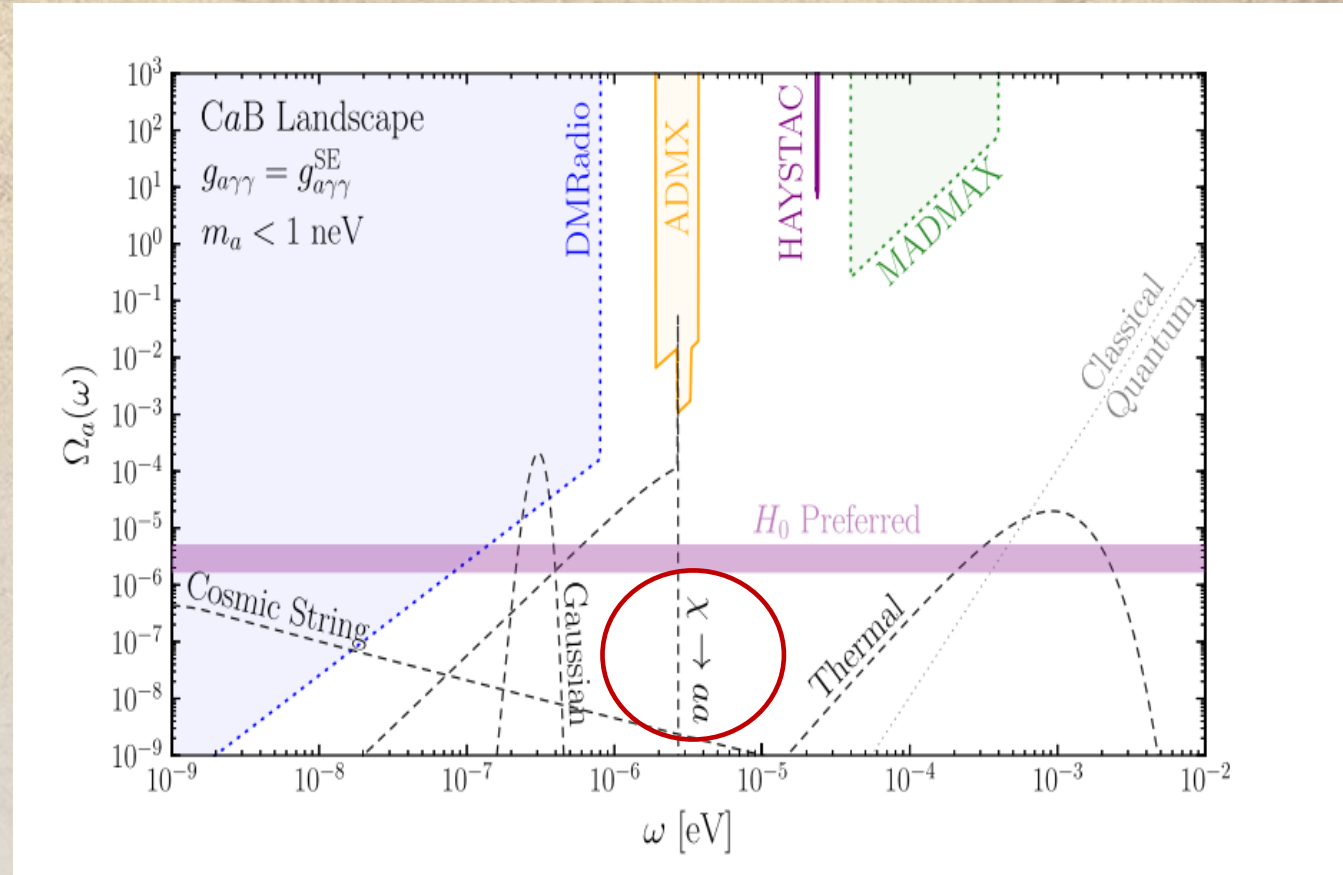


J. Dror et al, Phys. Rev. D 103, 115004 (2021))

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RELATIVISTIC ALP PRODUCTION

- We consider the following scenario:

Mechanism and Assumptions

- Relativistic ALPs (a) are produced from the decay of DM χ

$$\chi \rightarrow aa$$

(M. Cicoli et al, Phys. Rev. D 90 (2014))

- χ is much heavier than the axion ($m_\chi \gg m_a$) \longrightarrow **Produced ALPs are relativistic**
- The produced ALPs are stable
- χ is cosmologically stable, $\tau_\chi > t_U$

FLUX OF RELATIVISTIC ALPs

- Two possible sources of relativistic ALP flux from DM decay viz.,

Cosmic Axion Background (CAB)

- A homogeneous and isotropic ALP distribution produced from extragalactic DM decays

$$\left. \frac{dn_a}{d\omega} \right|_{\text{CAB}} = \int_{t=0}^{t_0} dt \hat{a}^3 \Gamma_\chi e^{-\Gamma_\chi t} \frac{\rho_{\text{DM}}(t)}{m_\chi} \left. \frac{dN_a}{d\omega'} \right|_{\omega'=\omega/\hat{a}}$$

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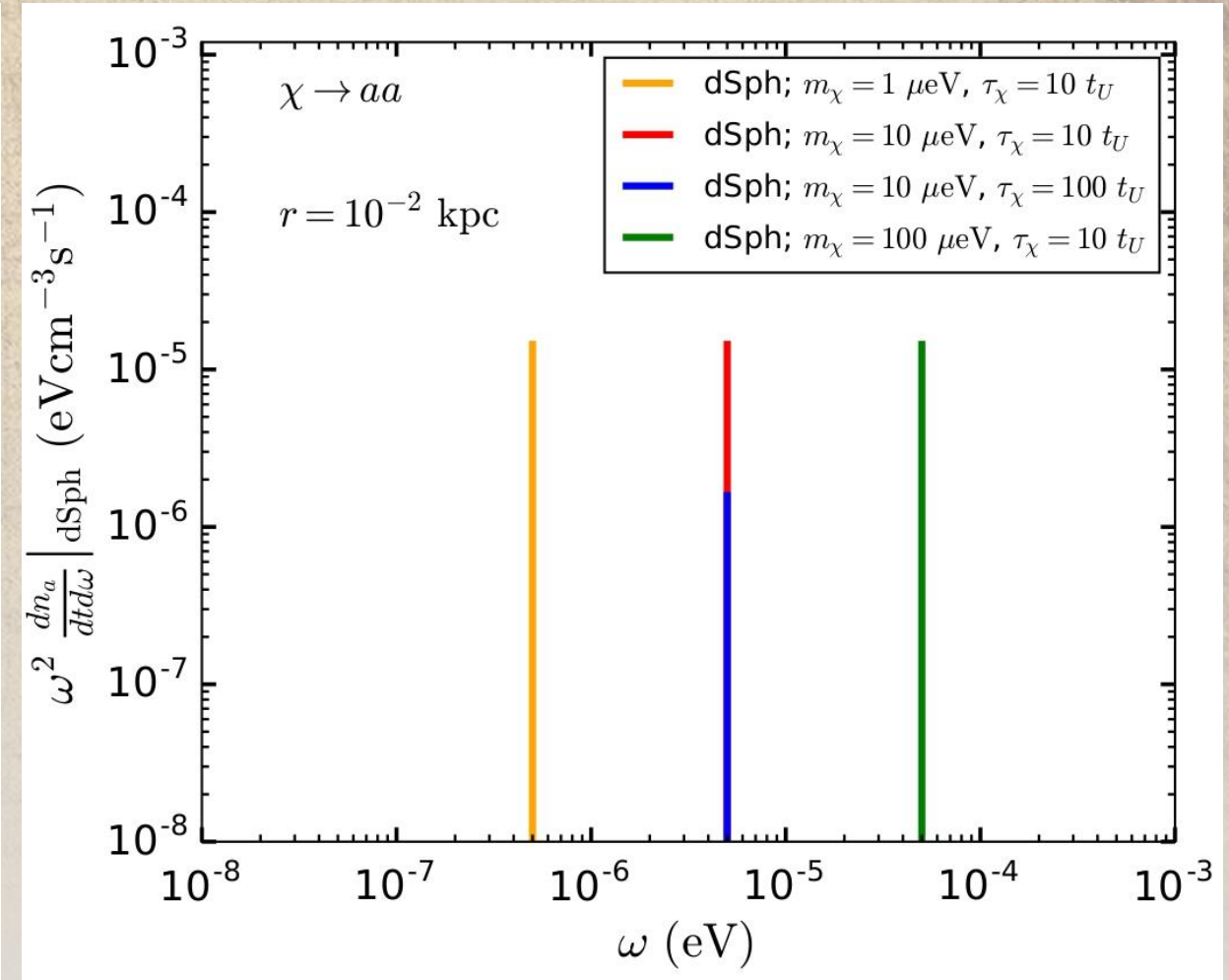
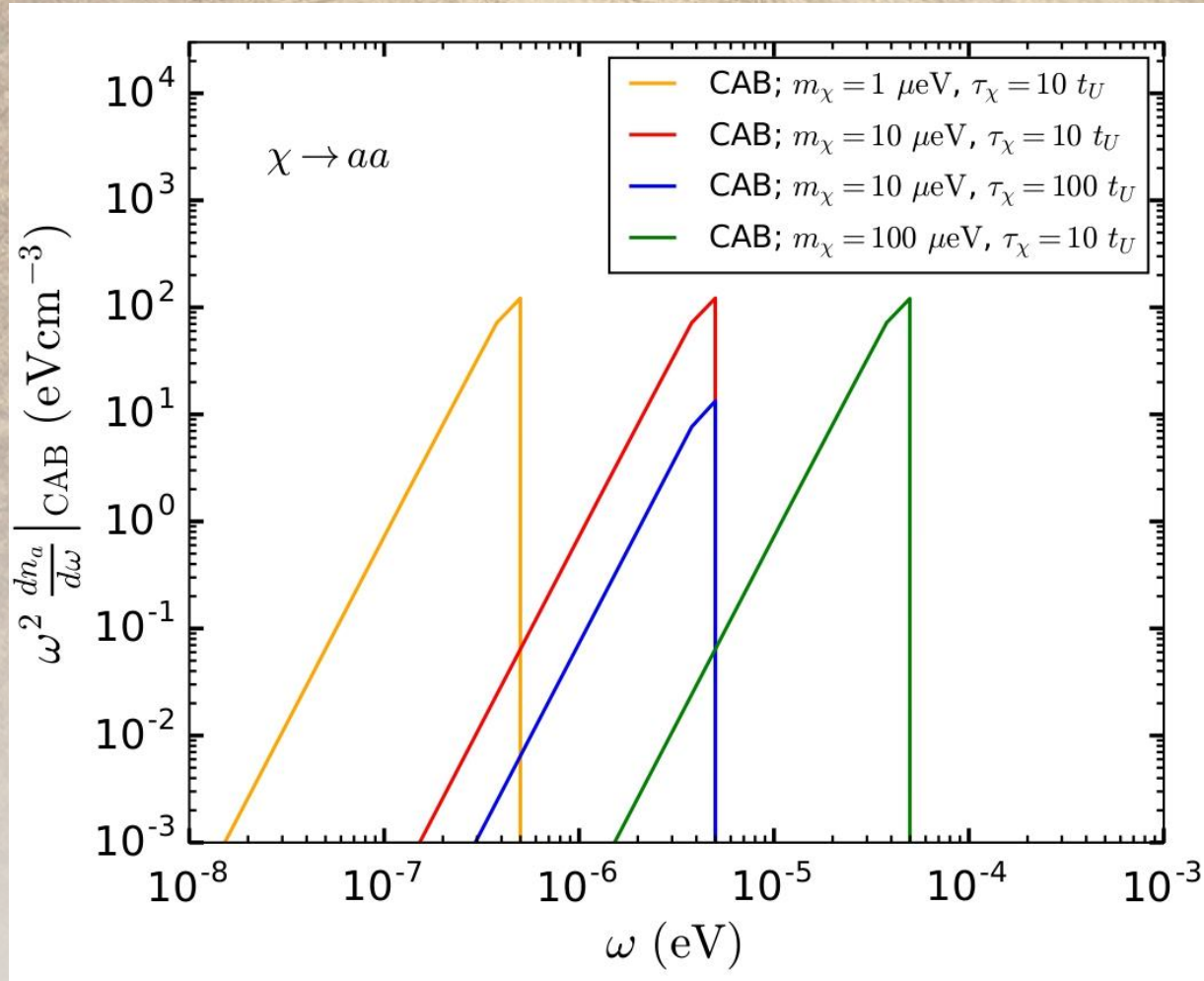
Axions from DM Halo

- Decay of DM gravitationally bound inside the galaxy i.e., decay of halo DM.

$$\left. \frac{dn_a}{dtd\omega} \right|_{\text{dSph}}(r) = \frac{e^{-t_U/\tau_\chi}}{m_\chi \tau_\chi} \frac{dN_a}{d\omega} \rho_{\text{DM}}^{\text{dSph}}(r)$$

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FLUX OF RELATIVISTIC ALPs



ALP-PHOTON OSCILLATION IN DWARF GALAXY

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- While traversing the dSph, ALPs can oscillate into photons in the magnetic field of the dSph due to their coupling with photons:

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- The probability of ALPs oscillating into photons after traversing a distance L_{domain} in a regular, transverse magnetic field is

$$P_{a\gamma}(\omega) = \sin^2(2\theta) \sin^2\left(\frac{\Delta_{\text{osc}} L_{\text{domain}}}{2}\right)$$

(Georg Raffelt and Leo Stodolsky, Phys. Rev. D (1988))

RADIO SIGNAL FROM GALAXY

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- Assumption: A regular, fully coherent magnetic field extending throughout the dSph with $L_{domain} = R_{dSph}$
- With the above assumption, combining the differential number density of ALPs and the ALP \longrightarrow photon oscillation probability we obtain the photon flux originating from the dSph as

where

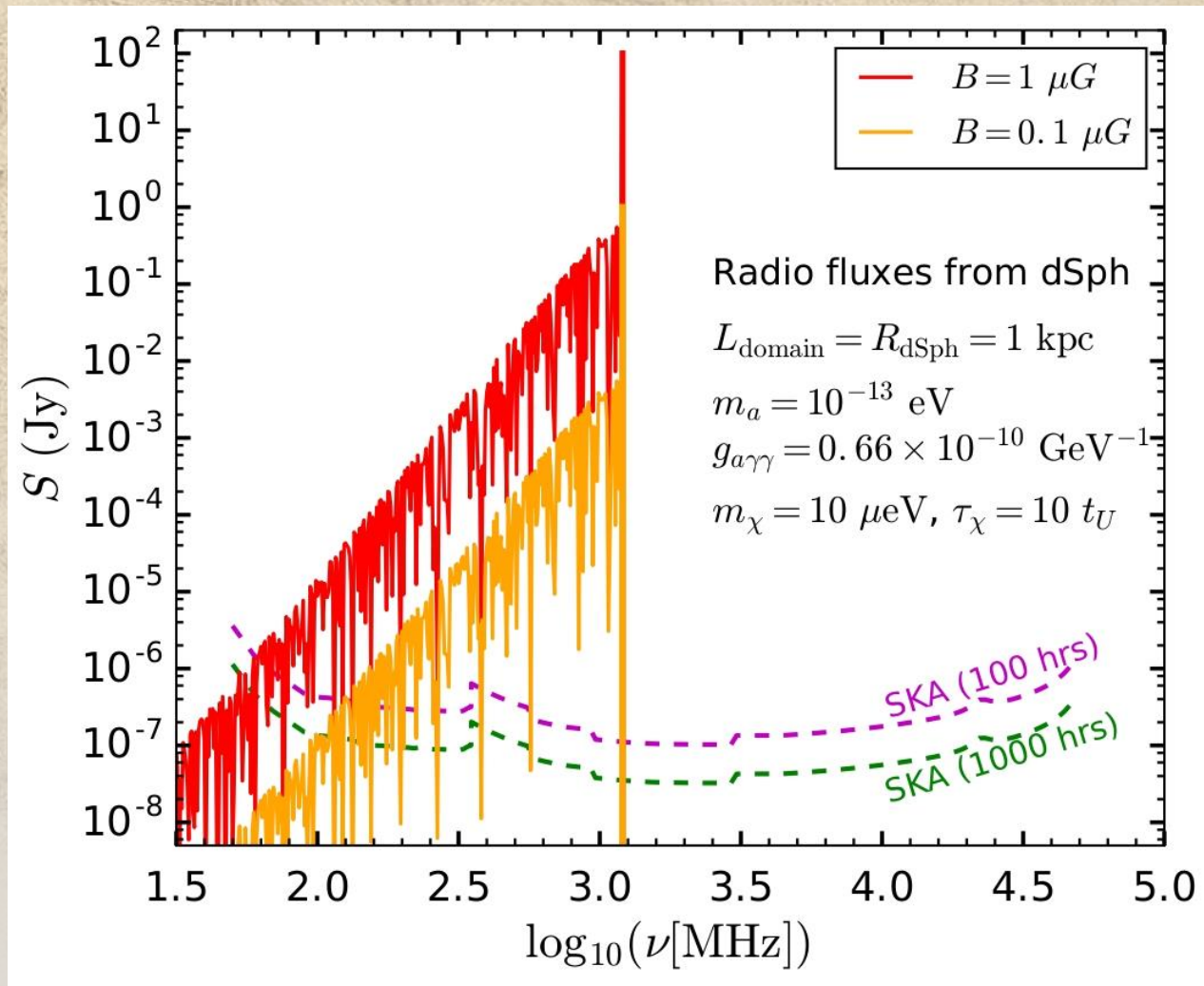
$$F = F|_{\text{CAB}} + F|_{\text{dSph}}$$

$$F|_{\text{CAB}} = \frac{P_{a\gamma}(\omega)}{(R_{\text{dSph}}/c)} \times \frac{1}{4\pi} \int_{\Omega} \int_{\text{l.o.s.}} d\Omega ds \omega^2 \frac{dn_a}{d\omega} \Big|_{\text{CAB}}$$

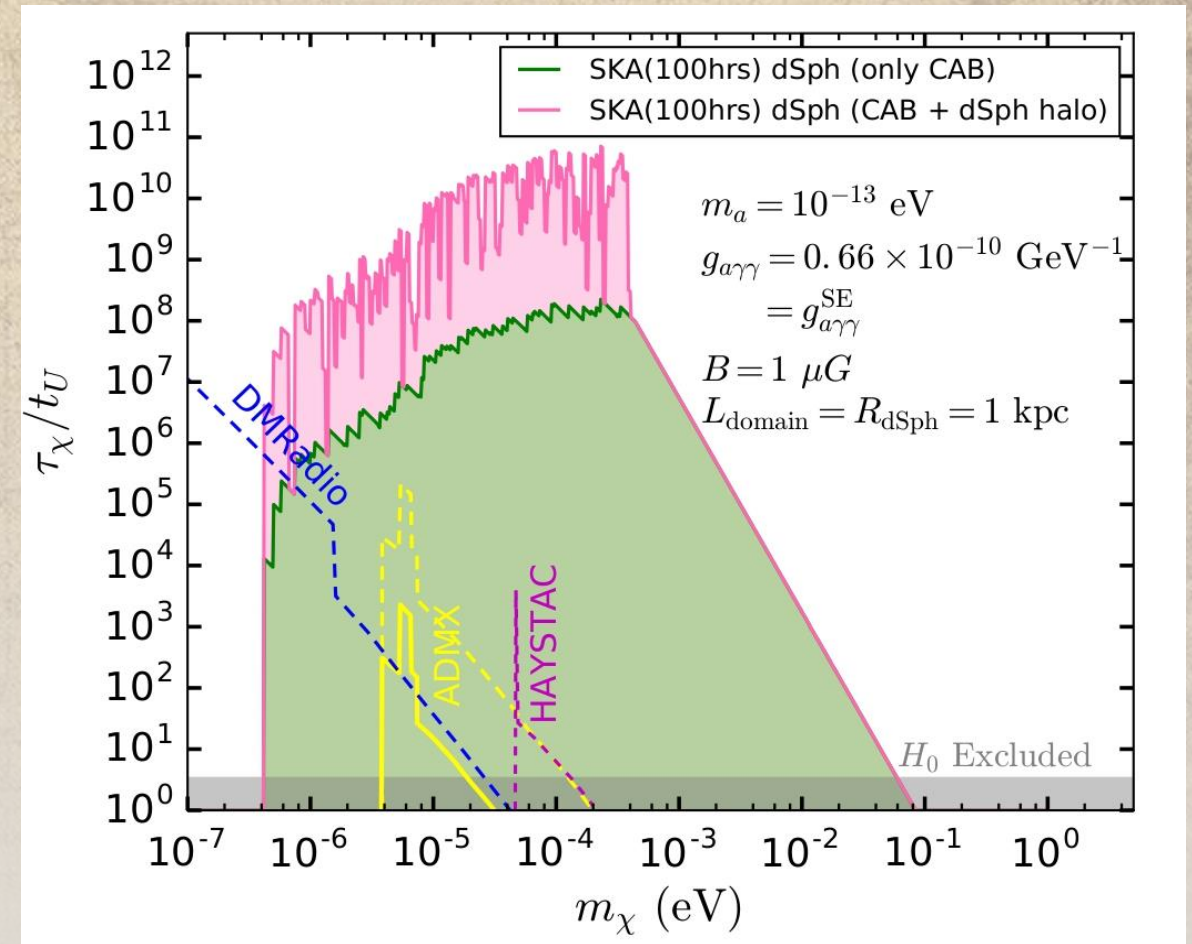
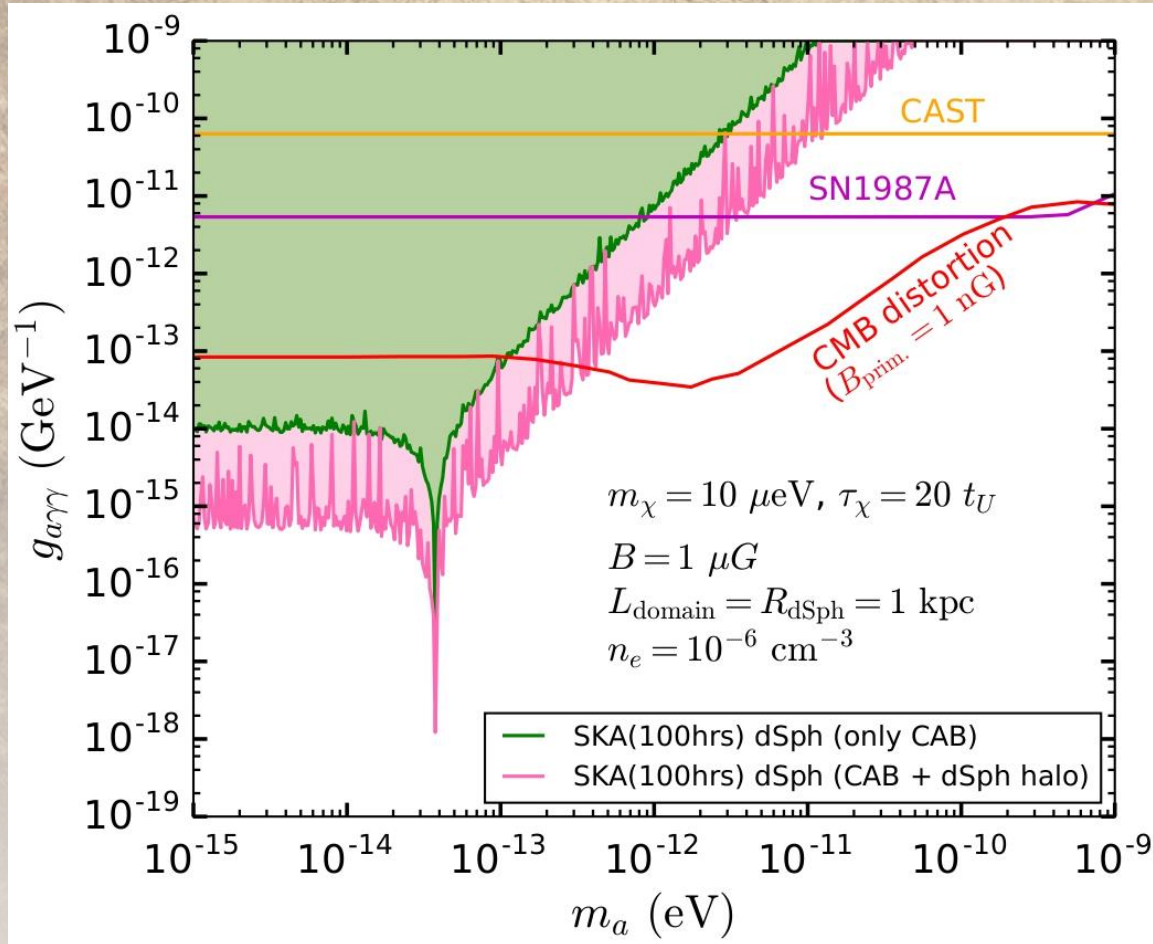
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(J. P. Conlon and M. C. D. Marsh, Phys. Rev. Lett. 111 (2013); M. Cicoli et al., Phys. Rev. D 90 (2014))

RADIO SIGNAL FROM GALAXY



PROJECTED SKA CONSTRAINTS



(CAST collaboration, V. Anastassopoulos et al., Nature Phys. 13 (2017); A. Payez et al., JCAP 02 (2015); A. Mirizzi et al., JCAP 08 (2009))

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- Galaxies, in general, contain a very complicated magnetic field structure

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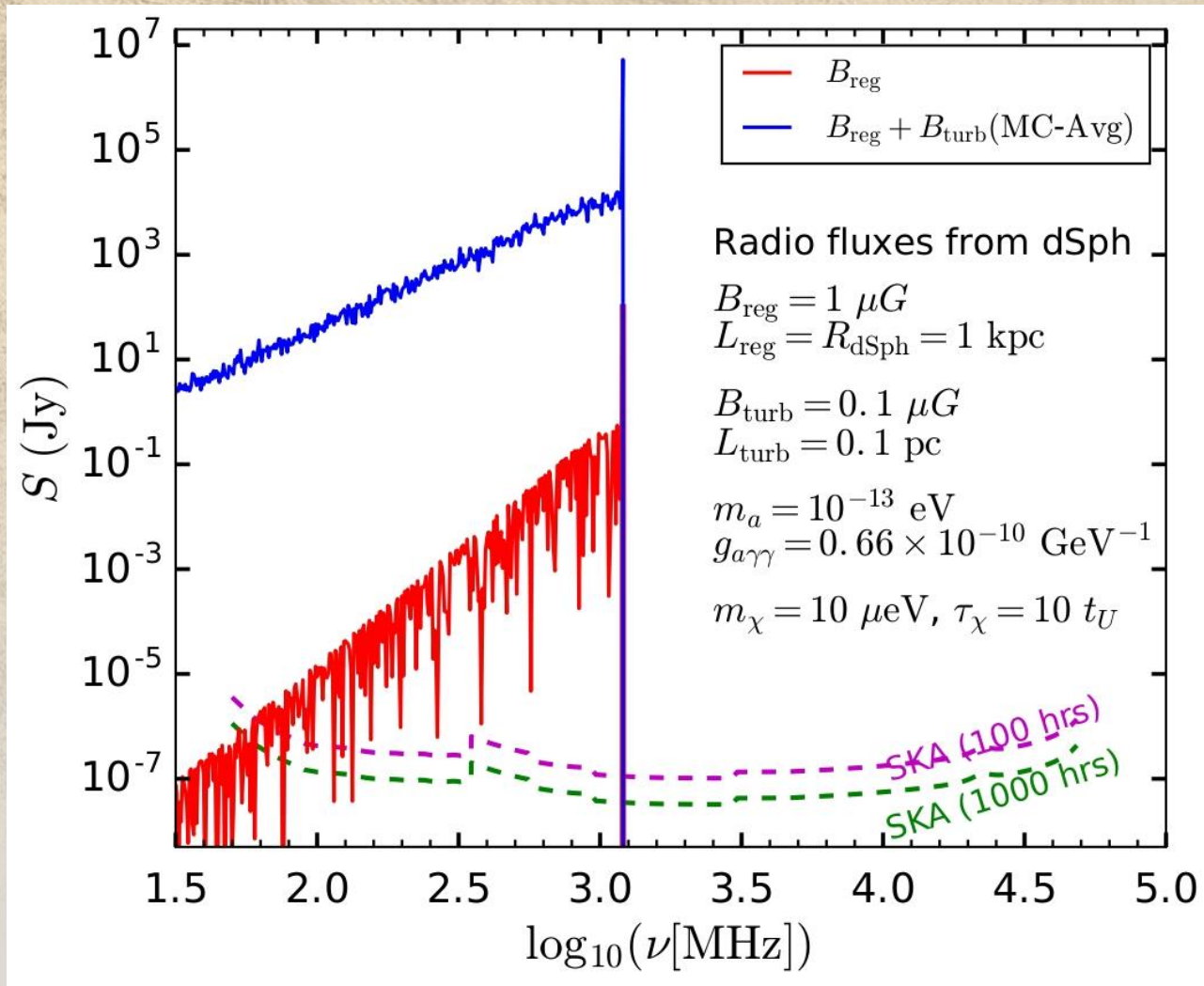
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- For B_{turb} we assume the “Cell Model”

Model Description

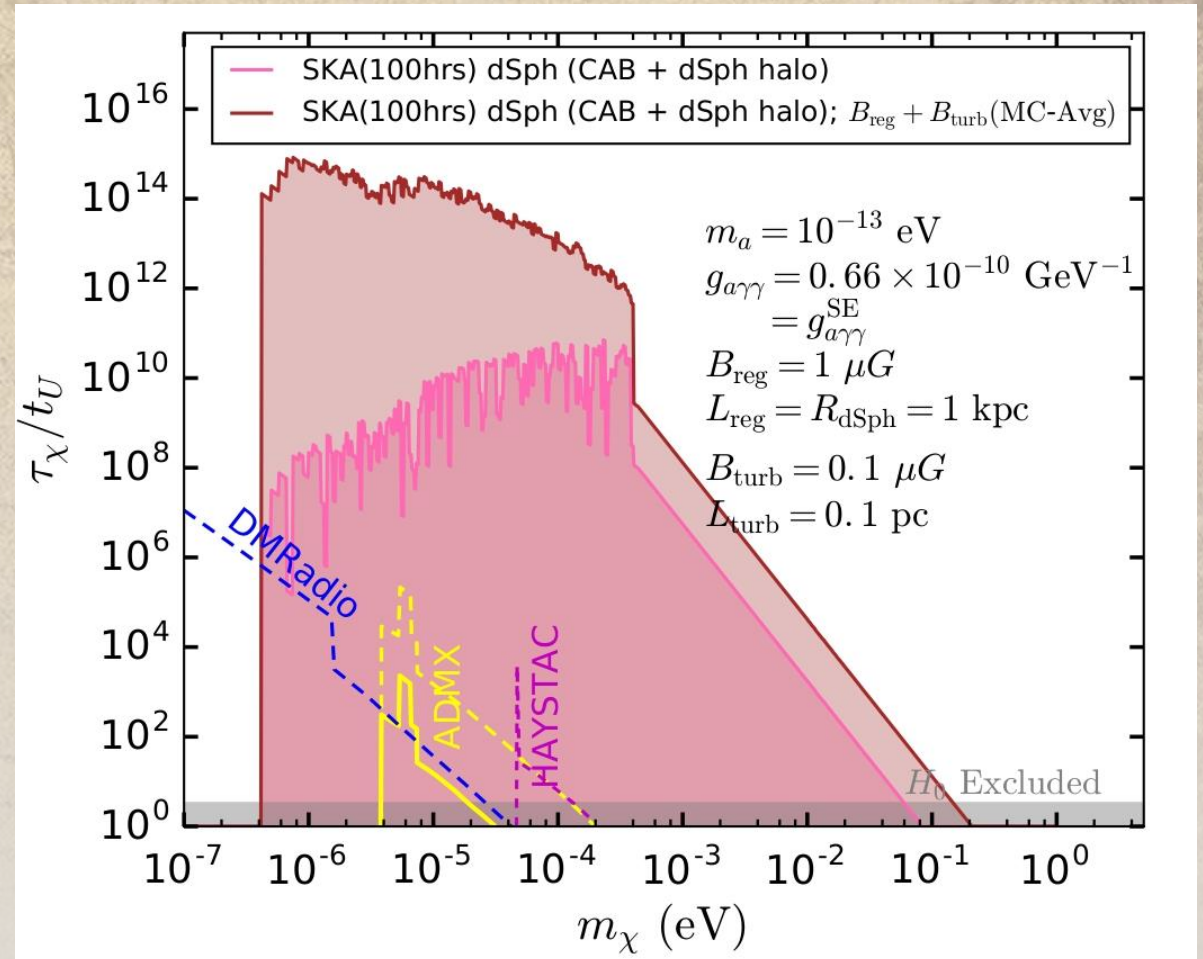
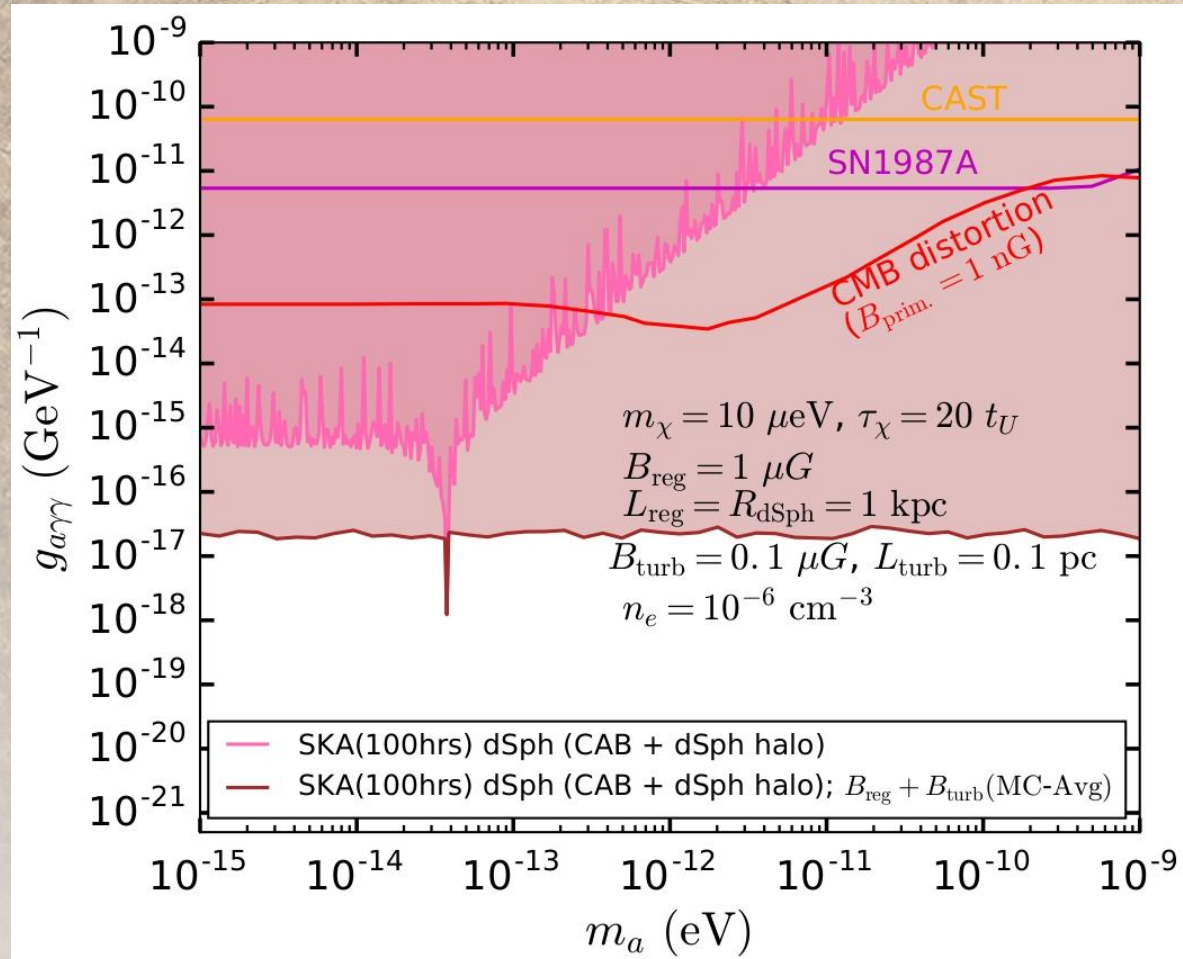
- The entire galaxy contains many small cells
- Length of the sides of each cell are same and are equal to L_{cell}
- Inside each cell there exists a magnetic field of constant magnitude and fixed orientation
- The magnetic field in different cells are of different magnitude and are randomly oriented
- The mean value of the magnetic field (considering all the cells) is zero while the root mean square value is equal to B_{turb}

(P. Carenza et al., Phys. Rev. D 104, 023003 (2021))

EFFECT OF TURBULENT MAGNETIC FIELD



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SUMMARY

- Relativistic ALPs could be produced from the decay of heavy DM particle
- Such ALPs, obtained from the decays of DM of mass in the range of a few μeV , would produce radio signals when they convert into photons in the magnetic fields of galaxies
- Observation of dwarf spheroidal galaxies such as Seg 1 via the future radio telescope, Square Kilometer Array, will help us explore as of yet unexplored regions of both the ALP and DM parameter spaces
- In this regard we see that the SKA sensitivity to relativistic ALPs will be much greater than many current and future axion direct detection experiments

The background of the slide features faint, sepia-toned sketches of two airships. On the left is a hot air balloon with a large, ornate, patterned envelope and a basket below. On the right is a rigid blimp or airship with a long, oval-shaped hull, a series of vertical struts, and a tail fin. The text "THE END" is centered over these sketches.

THE END



BOSE ENHANCEMENT: OVERVIEW

- Consider the decay of a scalar particle into two scalars $\phi \rightarrow \chi\chi$
- Decay rate or time evolution of number density of ϕ is given by

$$\frac{dn_\phi}{dt} = - \int d\Pi_\phi d\Pi_\chi d\Pi_\chi (2\pi)^4 \delta^4(p_\phi - p_\chi - p_\chi) |M|^2 [f_\phi (1 + f_\chi)(1 + f_\chi) - (1 + f_\phi) f_\chi f_\chi]$$

- Assuming : $f_\phi \gg f_\chi$ and for $\omega_\chi = \frac{m_\phi}{2}$

$$\frac{dn_\phi}{dt} = -\Gamma_{\phi \rightarrow \chi\chi} (1 + 2f_\chi) n_\phi = -\Gamma_{\text{eff}} n_\phi$$

(A. Caputo et al., JCAP 03(2019) 027)

- For a large occupation number of χ , decay rate of ϕ is greatly enhanced – *Bose Enhancement*
- Consequence: *Stimulated decay of ϕ or stimulated emission of χ*

BOSE ENHANCEMENT: STIMULATED DECAY OF DARK MATTER

- Dwarf spheroidal galaxies have huge DM densities \Rightarrow Decay of DM into axions can result in a huge ALP occupation
- Axion occupation number is given by: $f_a = \frac{n_a}{4 \pi^2 \omega^2 \Delta \omega}$
- Large axion occupation number results in an effective decay width of DM much larger than the spontaneous decay width

$$\Gamma_{\text{eff}} = \Gamma_{\chi} (1 + 2f_a) \gg \Gamma_{\chi}$$

- Evolution of axion and DM densities

$$\frac{dn_a}{dt} = N_a \Gamma_{\text{eff}} n_{\chi}$$

$$\frac{dn_{\chi}}{dt} = -\Gamma_{\text{eff}} n_{\chi}$$

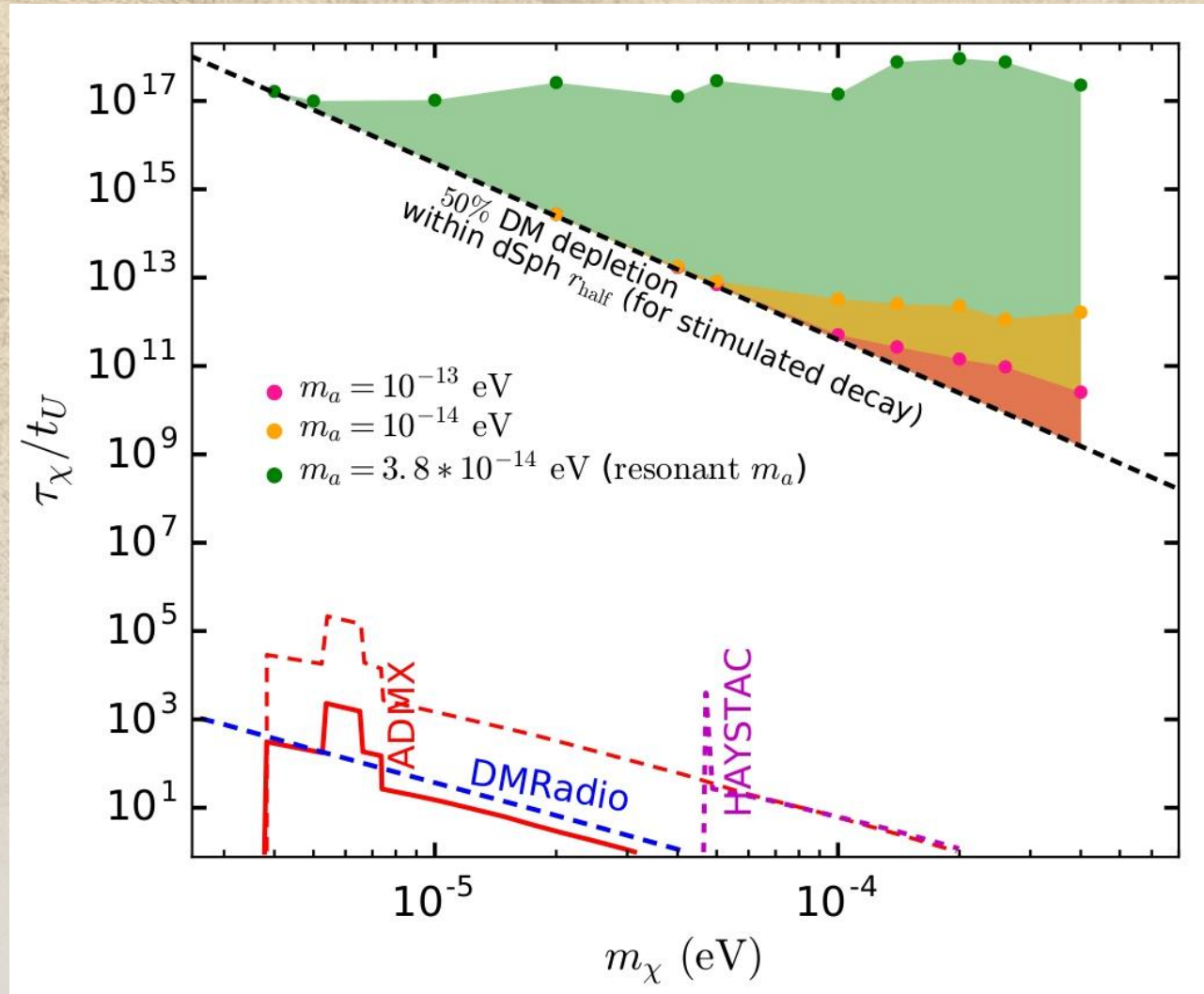
BOSE ENHANCEMENT: STIMULATED DECAY OF DARK MATTER

- Resulting photon flux due to the axions passing through the dSph

$$S(\nu) = P_{a\gamma} \frac{1}{4\pi} \int d\Omega \int_{\text{l.o.s}} ds \omega \Gamma_{\text{eff}}(s) \frac{dN_a}{d\omega} n_\chi(s)$$

- Note: We neglected the CAB contribution while calculating the effect of *Bose enhancement* on DM decay.

BOSE ENHANCEMENT: UPDATED PROJECTIONS





$$\tan(2\theta) = \frac{2\Delta_{a\gamma}}{\Delta_{\parallel} - \Delta_a}$$

$$\Delta_{\text{osc}} = \sqrt{(\Delta_{\parallel} - \Delta_a)^2 + 4\Delta_{a\gamma}^2}$$

$$\Delta_a = -\frac{m_a^2}{2\omega}$$

$$\Delta_{a\gamma} = \frac{1}{2}g_{a\gamma\gamma}B_{\perp}$$

$$\Delta_{\parallel} = \Delta_{\text{pl}} + 3.5\Delta_{\text{QED}}$$

$$\Delta_{\text{pl}} = -\frac{\omega_{\text{pl}}^2}{2\omega}$$

$$\Delta_{\text{QED}} \propto \omega B_{\perp}^2$$